# CFD ANALYSIS TO DEMONSTRATE IN VESSEL RETENTION INDUCING A BYPASS FLOW

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**Abstract.** The goal of this work is to design a nozzle system around the Reactor Pressure Vessel (RPV) of a VVER-1000 nuclear reactor which would ensure successful melt retention during a severe accident. Simulations were performed with a multiphase model in ANSYS Fluent 19.1 to determine this. The results suggest that an efficient cooling can be achieved by inducing a flow rising parallel to the RPV walls in the flooded reactor cavity. In order to do this, it is proposed to use one central nozzle below the RPV and a ring of 32 nozzles 0.5 m above the RPV bottom. Assuming a 2 bar pressure, injection of 750 m<sup>3</sup>/h water at 80°C through the nozzles led to little steam production and a heat flux below the critical value.

# **1 INTRODUCTION**

In-Vessel Retention (IVR) is a severe accident mitigation measure that could be implemented to VVER-1000 reactor designs by flooding the reactor cavity when the reactor core has melt. Successful implementation of IVR requires that the Critical Heat Flux (CHF) is not reached at the outer surface of the Reactor Pressure Vessel (RPV).

CHF occurs when a stable vapour layer covers a section of the heated wall. Since vapour has a lower heat transfer coefficient than liquid, the wall temperature has to increase in order to maintain the imposed heat flux. The large wall temperatures are a safety concern since they could reach the melting point of the RPV wall.

In this work, the CHF is estimated with the correlations proposed by [6,7] for the curved geometry of the RPV (Figure 1a)

$$q_{CHF}(\theta) = 490 - 30.2 \,\theta - 8.8e^{-1} \,\theta^2 + 1.35e^{-2} \,\theta^3 - 6.65e^{-5}\theta^4 \tag{1}$$

where  $\theta$  is the wall angle: 0° for horizontal direction and 90° for vertical direction. Eq. (1) was obtained using saturated water in a natural circulation environment. However, experimental data shows that the CHF increases quasi-linearly with the fluid velocity and

subcooling [2,3] (Figure 1b). Therefore, Eq. (1) provides a conservative estimate since the fluid velocities and subcooling induced by the nozzle system proposed in this work are expected to increase the CHF.



Figure 1: Experimental measurements of the CHF as a function of: (a) wall angle at 0 °C subcooling – Figure taken from [4] (T.G. Theofanous, et. al., 1997). The fitting line shown in (b) for Configuration II corresponds to (1). (b) Subcooling - Figure taken from [9] (Ono and Sakashita, 2009).

The data points presented in Figure 1b can be fitted to a linear function of  $\Delta T/18$  slope. Thus, based on [2,7], a CHF correlation function of the angle and sub-cooling can be obtained multiplying Eq. (1) by a factor of  $1 + (\Delta T/18)$ :

$$q_{CHF}(\theta, \Delta T) = \left(1 + \frac{\Delta T}{18}\right) (490 - 30.2 \ \theta - 8.8e^{-1} \ \theta^2 + 1.35e^{-2} \ \theta^3 - 6.65e^{-5}\theta^4)$$
(2)

Developing a new CHF correlation is beyond the scope of this work, especially because its validity cannot be confirmed with experimental data. Possible deviations could be due to: (i) non-linearities between CHF and the sub-cooling; (ii) the smaller scale of the experiments form Figure 1b compared to the large scale of the RPV and (iii) different behaviour of the CHF to sub-cooling at angles  $\theta$  different than 90°. Despite these uncertainties, Eq. (2) is included in the report to enable an approximate estimate on the required cooling conditions of the nozzle system.

### 2 ESTIMATED SUBCOOLING AND MASS FLOW RATES

The heat fluxes at the inner and outer walls of the RPV obtained with the ASTEC code are presented in Figure 2. Comparison with the CHF correlation given by Eq. (1) suggests that cooling the outer walls with saturated water (0°C subcooling) might not be sufficient to avoid CHF. Based on Eq. (2) and on the heat flux at the inner wall of the RPV, the subcooling needed to avoid CHF is estimated to be 40°C. The outer wall of the RPV presents a lower heat flux since part of the inner heat is transferred to the gas space inside the RPV through convection and radiation (note that in the ASTEC calculations the flux at the inner wall of the RPV corresponds to the total heat stored in the melt pool). For the outer flux, the subcooling

needed to avoid CHF would be 20°C. Nevertheless, we propose to use the conservative estimate of 40°C to (i) account for possible errors from the analytical correlations and (ii) to consider the total heat which could potentially be transferred to the outer wall of the RPV.

It should be noted that the values of the sub-cooling estimated in this section are obtained assuming no flow velocity (i.e. no nozzle system inducing a high velocity flow around the RPV). This is a conservative assumption since larger flow velocities are expected to increase the margin to CHF [2,3]. Moreover, the validity of Eq. (2) should be further verified against experimental data.

The mass flow  $\dot{m}$  required to cool the vessel can be estimated equating the total heat from the walls  $Q_{walls}$  to the heat which can be absorbed by the liquid without requiring a phase change to steam, Eq. (3). Production of steam through nucleate boiling is considered to be an efficient mechanism of heat transfer removal which should not pose a threat to the RPV integrity. Therefore, the estimate from Eq. (3) should be considered as a rough estimate for the order of magnitude of the nozzle flow rate.

$$Q_{walls} = \dot{m}c_p(T_{nozzle} - T_{sat}) \tag{3}$$

The results from Eq. (3) are presented in Figure 3. The colorbar represents the ratio between  $Q_{walls}$  and the cooling  $mc_p\Delta T$ . Ratios larger than 1 require producing steam to remove the heat; whereas values lower than 1 would minimize the steam production. It should be noted that the estimate from Eq. (3) considers the total heat, not its spatial variation. Thus, larger heat flows than the ones predicted by Eq. (3) might be needed to prevent steam production at the regions with larger heat concentrations.

Based on Figure 2 and Figure 3, the conditions to be analyzed with CFD in Section 4 are presented at the  $\blacktriangle$  markers in Figure 3. We can anticipate that the case with 117°C (3°C subcooling) will most likely lead to significant steam production, whereas the cases with 80°C should provide a sufficient cooling.



Figure 2: Expected CHF at different sub-cooling values (obtained with (2)) and comparison to the heat fluxes computed in the ASTEC simulations for 70 t of steel.



**Figure 3**: Boundary obtained with (3). The ( $\blacktriangle$ ) markers denote the conditions analyzed with CFD in Section 4 and ( $\frown$ ) the boundary where the heat ratio equals to one.

### **3** CFD CASE SETUP

The CFD code of ANSYS Fluent 19.1 is used to determine the optimal nozzle distribution to cool the RPV walls. This section describes the case setup used in the simulation of the final nozzle design (Section 4).

#### 3.1 Geometry

The geometry of the RPV walls was simplified by removing all penetrations. The 7 mm inner layer of stainless steel was also neglected. Thus, the RPV walls were modelled with a body of carbon steel of 244 mm thickness at the bottom cap and 200 mm at the vertical walls. The simplification of the stainless steel will lead to a very small over prediction of the thermal conductivity in the material and is judged not to have an impact on the results.

### 3.2 Mesh

The mesh was built in ANSA with hexahedral elements using a multi-block approach, see Figure 4. In the fluid region, five layers of cells with 0.4 mm thickness were added at the RPV walls. Beyond these layers, the cell sizes were increased using a constant expansion ratio of 1.1. The cell sizes in the rest of the domain were kept at about 20 mm. The corner of the quarter 3D mesh cannot be meshed with hexahedral elements. Therefore, this region was meshed with a prism cells transition as shown in the details from Figure 4.

The 0.4 mm cell size at the RPV walls led to an average y+ of about 12. Maximum y+ values of 110 were observed at the impingement point of the nozzle flow on the RPV walls. These values are considered to be a middle ground between the y+ values of 30-40 needed for an efficient vapour removal in boiling regimes; and the y+ values of 1-5 needed for resolving the viscous sub-layer in Conjugate Heat Transfer (CHT). For example, simulations performed in [10] using boiling and CHT models show that using a y+ of 13-36 leads to a closer

agreement to experimental data than when refining the mesh to y+ values of 0.6-4.1.

The interface between the solid and liquid regions was modelled with a conformal mesh (same nodes shared by the solid and liquid at the interface). This approach is expected to be more efficient and accurate compared to non-conformal meshes since it does not require interpolating at the interface. In the solid, the cell size in the first layer near the fluid, where larger temperature gradients are expected, was set to 1 mm. With these settings, the 3D quarter meshes had a total of 4.1 million cells (3.43 million in the fluid and 0.67 million in the solid).



Figure 4: Over-view of the quarter 3D mesh generated with ANSA. The blue and gray colors denote the fluid and solid domains, respectively.

# 3.3 Initial and boundary conditions

All the simulations were run assuming a pressure of 2 bar, equivalent to a saturation temperature of 120°C. Accident scenarios leading to other pressures are also possible, but these are not considered in the present report.

The heat flux applied at the inner side of the RPV walls was taken from the ASTEC calculations (Table 1). Linear interpolation was assumed between the data points. Above the melt pool the heat flux was set to zero. The cavity walls were modelled as adiabatic.

The fluid volume around the RPV can swell during the transient due to density changes in

the liquid and production of steam near the wall. To accommodate such expansions, the pool surface was modelled as a pressure outlet boundary condition.

Elevation [m]	Heat flux [MW/m <sup>2</sup> ]
0	1.38
0.07	1.42
0.15	1.65
0.32	1.75
0.34	1.88
0.45	2.11
0.69	2.65
0.92	2.44
1.19	2.40
1.54	1.18

**Table 1**: Heat flux along the corium/vessel side of the RPV walls obtained for the case of 70 t of molten steel. Zero elevation corresponds to the bottom of the inner vessel wall.

The heat and momentum sources induced by the nozzle ring were added to the fluid region using User Defined Functions (UDF). The pumps were modelled in recirculation mode, meaning that the injected flow is taken from the pool. Thus, no mass sources were added with the UDF. The energy source Q was defined as

$$Q = \dot{m} \left( c_{p_{out}} T_{out} - c_{p_{in}} T_{in} \right) \tag{4}$$

where the specific heat  $c_p$  and temperature T at the inlet were computed every time step as the average value of the cells behind and in-line with the momentum source. For the current calculations the outlet temperature of T<sub>out</sub> was taken as 117 and 80°C, respectively.

The heat and momentum sources were distributed radially symmetrically around the vessel axis. The volume of the cells where the sources was applied was based on the assumed nozzle diameter. For example, for a 75 mm diameter nozzle, the sources were applied over a group of cells with  $66.5 \times 66.5$  mm area and 10 mm height.

# 3.4 Material properties

Some of the water properties were defined as polynomial function of the liquid temperature using IAPWS-IF97 data. The steam and steel properties were defined constant.

# 3.6 Models and numerical setup

The simulations were run in ANSYS Fluent 19.1 using an Eulerian multiphase model. In this model, independent mass, momentum and energy equations are solved for the vapour and liquid phases; and analytical correlations are used to model the mass, momentum and energy

exchange between them. The temperature in the RPV walls was modelled with the heat conduction equation. Deformation of the RPV walls was not calculated.

Boiling at the RPV walls was calculated using non-equilibrium Rensselaer Polytechnic Institute (RPI) model (Eq. (5)), which is an extension of the original RPI model which enables computing saturated boiling.

$$q_w = \left(q_c + q_q + q_e\right)f(\alpha_L) + q_v\left(1 - f(\alpha_L)\right)$$
(5)

In this model, the total heat transfer from the wall  $q_w$  is computed as the summation of heat conduction to the liquid  $q_c$ , quenching  $q_q$ , evaporation  $q_e$ , and possible heating of the vapour phase above saturation  $q_v$ . The definition of  $f(\alpha_L)$  used by Fluent is such that  $f(\alpha_L) = 0$  when the liquid volume fraction  $\alpha_L$  in the near-wall cell is below 0.2. The correlations used to determine the heat transfer rates are listed briefly in Table 2.

Term	Correlation name
Bubble generation	
Steam-Water heat transfer coefficient	Hughmark
Nucleate boiling area	Del Valle and Kenning's
Bubble volume	Tolubinski and Kostanchuk
Nucleate boiling density	Lemmert and Chawla
Frequency bubble detachment	Cole
Bubble-liquid interaction	
Drag	Tomiyama
Inertia	C <sub>VM</sub> =0.5
Lift	Moraga
Wall lubrication	Antal
Turbulent dispersion	Lopez de Bertodano
Turbulence interaction	Sato

Table 2: Boiling model correlations used in the simulations

It should be noted that the boiling correlations listed in Table 2 are only strictly valid within the range of conditions for which they were calibrated for. Since none of these works was done specifically for RPV analysis at the chosen conditions, the results obtained with these boiling models should be taken with caution. The correlations selected in the current

analysis are based on the sensitivity studies performed in [8] to address CHF in a vertical rod bundle.

Other numerical parameters used in the model are listed in Table 3.

Turbulence model	k-ω SST
	Production limiter, Kato Launder and low
	Reynolds corrections
	Mixture model
Solver	Phase-coupled SIMPLE
	Algebraic Multi-Grid with 1 pre-sweep
	and 2 post-sweeps
Gradient	Least-squares cell-based
Spatial interpolation	Second order upwind (momentum and
	energy)
	First order upwind (turbulence and volume
	fraction)
Temporal discretization	Bounded second order upwind
Time step	0.03-0.1 s
Relaxation factors	Varied between 0.1 and 0.2 during the
	transient

Table 3: Model and numerical schemes used in the simulations

### **4 RESULTS FROM THE FINAL NOZZLE DESIGN**

The final nozzle design was obtained based on sensitivity studies of the different nozzle parameters presented in Appendix A. The main conclusions from this study can be summarized as follows:

- The cooling flow should be designed to induce a flow pattern rising upwards and parallel to the RPV walls. This implies that the nozzles should be oriented pointing upwards. A downwards orientation is not recommended.
- The largest heat fluxes are expected at the junction between the bottom cap of the RPV and the vertical walls. Thus, larger cooling is required in this region.
- Locating multiple nozzles close to each other can lead to stagnation points at the region where the nozzle flow collides, leading to localized hot-spots.

The final nozzle design is presented in Figure 5. A single central nozzle is proposed to cool the entire bottom cap of the vessel. This prevents the formation of stagnation regions and hot-spots created when several jets are located in this area. Due to the large area cooled by the central nozzle, a large flow rate of 140  $m^3/h$  is proposed.

At the vertical walls, a ring of 32 nozzles injecting a total flow of 1120  $m^3/h$  is proposed. The nozzles are oriented towards the RPV walls. The proposed location is slightly below the change in curvature between the bottom cap and the vertical walls of the RPV. This is done to

force the flow from the central nozzle to continue flowing upwards instead of being deflected downwards when reaching the bend. The larger number of nozzles and flow rates proposed for this region are motivated by the larger heat fluxes expected to result from the focusing effect of a buoyant metal layer.



Figure 5: Location and direction of the nozzle rings proposed for the final nozzle design

The simulation run with an outlet nozzle temperature of 117°C is presented in Figure 6. We can see that, as expected from Section 2, a significant amount of steam is produced on the vessel walls. The wall temperatures are also large, reaching up to 500°C. Reducing the nozzle temperature to 80°C leads to a much lower steam production (Figure 7). This means that most of the heat from the RPV can be removed by heating the liquid rather than by producing steam. Reducing the of the nozzle flow by about 40 % also seems to provide adequate cooling (Figure 8). Based on these results, the cooling system is proposed to have the configuration presented in Figure 5, a nozzle temperature of 80°C, and a total flow rate of 740 m<sup>3</sup>/h. The possibility of using even lower flow rates could be further analyzed with CFD.

Regarding the flow pattern, we can see in Figure 7 and Figure 8 that the central nozzle is able to cover the entire bottom cap of the RPV and maintain it at a relatively low temperature. The nozzle ring plays an important role in (i) cooling the region where the largest heat fluxes are observed, and (ii) forcing the flow from the central nozzle to continue rising upwards, inducing a large-scale circulation pattern in the pool.



**Figure 6**: Final nozzle design, T = 117°C,  $\dot{m}_{tot}$  = 1260 m<sup>3</sup>/h. Plot time = 1850 s. Heat flux Q, wall temperature T, steam volume fraction  $\alpha$  and velocity V.



**Figure 7**: Final nozzle design, T = 80°C,  $\dot{m}_{tot}$  = 1260 m<sup>3</sup>/h. Plot time = 1400 s. Heat flux Q, wall temperature T, steam volume fraction  $\alpha$  and velocity V. Note that the scale of the steam volume fraction is only up to 2 %.



**Figure 8**: Final nozzle design, T = 80°C,  $\dot{m}_{tot}$  = 740 m<sup>3</sup>/h. Plot time = 1400 s. Heat flux Q, wall temperature T, steam volume fraction  $\alpha$  and velocity V. Note that the scale of the steam volume fraction is only up to 2 %.

The evolution of the heat flux with respect to time is presented in Figure 9 for all the cases analyzed with the final nozzle design. We can see that the simulations have not yet reached a steady-state in which the heat flux stops varying over time. Longer simulation times would be required for this. However, the results presented in Figure 6 to Figure 8 and the heat balance considerations presented in Section 2 support the conclusion that the current proposed configuration with 80°C and 740 m<sup>3</sup>/h will provide a sufficient cooling of the RPV.



(c)

**Figure 9**: Heat flux along the vessel walls as a function of time and compared to the Critical Heat Flux (CHF) estimate from (2). (a) 117°C (b) 80°C and (c) 80°C with 40% less cooling flow.

### **5** SUMMARY

The goal of this work was to design a nozzle system around the RPV which would ensure successful melt retention during a severe accident in a VVER-1000 reactor. In order to do this, CFD simulations were run in ANSYS Fluent 19.1 assuming a constant pressure of 2 bar (120°C saturation temperature) and using different nozzle locations, flow rates, cooling temperatures, etc. The sensitivity studies showed that the most efficient cooling can be achieved by inducing a parallel flow rising along the RPV walls.

The proposed final design is presented in Figure 5. It consists of a central nozzle below the RPV (to cool the bottom cap of the RPV) and 32 nozzles at the region where the vertical walls of the RPV walls begin (to cool the region where the RPV walls get thinner and where larger heat fluxes are expected). Using a total cooling flow rate of 740 m<sup>3</sup>/h and an outlet nozzle temperature of 80°C enabled an efficient cooling with minimal production of steam and not reaching the Critical Heat Flux (CHF). A larger outlet temperature of 117°C, showed significant production of steam, even when using a cooling flow rate of 1260 m<sup>3</sup>/h.

In future work the model will be validated for the particular system.

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